# **CS 4644 / 7643-A DEEP LEARNING**

### **Topics:**

- Machine learning intro, applications (CV, NLP, etc.)
- Parametric models and their components



- PS0: This should take less than 3hrs!
- Please do it now, and give others a chance at waitlist if your background is not sufficient (beef it up and take it next time)
  - Do it even if you're on the waitlist!

- Office hours start next week
- Start finding your project partners



#### Collaboration

- Only on HWs and project (not allowed in HW0/PS0).
- You may discuss the questions
- Each student writes their own answers
- Write on your homework anyone with whom you collaborate
- Each student must write their own code for the programming part
- Do NOT search for code implementing what we ask; search for concepts

### Zero tolerance on plagiarism

- Neither ethical nor in your best interest
- Always credit your sources
- Don't cheat. We will find out.



- Two late days for each assignment (EXCEPT PS0).
  - Late submission gets 20% panelty
- After late days, you get a 0 (no excuses except medical)
  - Send all medical requests to dean of students (https://studentlife.gatech.edu/)
  - Form: <a href="https://gatech-advocate.symplicity.com/care-report/index.php/pid224342">https://gatech-advocate.symplicity.com/care-report/index.php/pid224342</a>
- DO NOT SEND US ANY MEDICAL INFORMATION! We do not need any details, just a confirmation from dean of students



# **Learn Numpy!**

#### CS231n Convolutional Neural Networks for Visual Recognition

### Python Numpy Tutorial

This tutorial was contributed by Justin Johnson.

We will use the Python programming language for all assignments in this course. Python is a great generalpurpose programming language on its own, but with the help of a few popular libraries (numpy, scipy, matplotlib) it becomes a powerful environment for scientific computing.

We expect that many of you will have some experience with Python and numpy; for the rest of you, this section will serve as a quick crash course both on the Python programming language and on the use of Python for scientific computing.

http://cs231n.github.io/python-numpy-tutorial/

Slide Credit: Fei-Fei Li, Justin Johnson, Serena Yeung, CS 231n



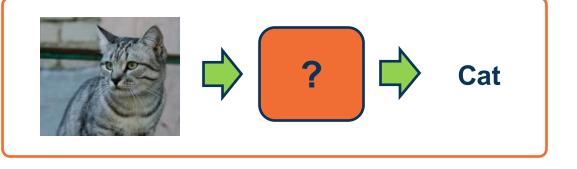
# Machine Learning Overview



### When is Machine Learning useful?

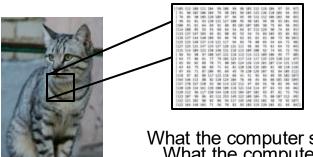
```
algorithm quicksort(A, lo, hi) is
  if lo < hi then
    p := partition(A, lo, hi)
    quicksort(A, lo, p - 1)
    quicksort(A, p + 1, hi)

algorithm partition(A, lo, hi) is
  pivot := A[hi]
  i := lo
  for j := lo to hi do
    if A[j] < pivot then
        swap A[i] with A[j]
    i := i + 1
  swap A[i] with A[hi]
  return i</pre>
```



When it's difficult / infeasible to write a program

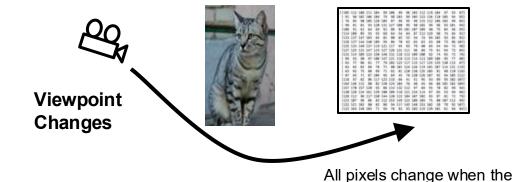
### **Example: Object Recognition**



This image by Nikita is licensed under CC-BY 2.0 What the computer sees What the computer sees

An image is just a big grid of numbers between [0, 255]:

e.g. 800 x 600 x 3 (3 channels RGB)



Illumination





camera moves!



**Deformation** 



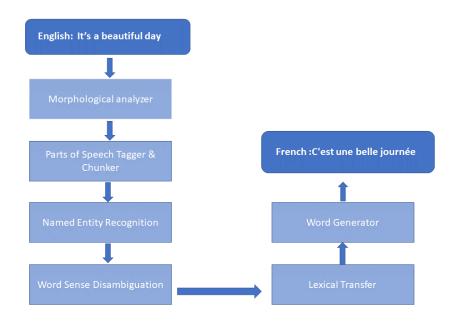
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Slide Credit: Fei-Fei Li, Justin Johnson, Serena Yeung, CS 231n



### **Example: Machine Translation**

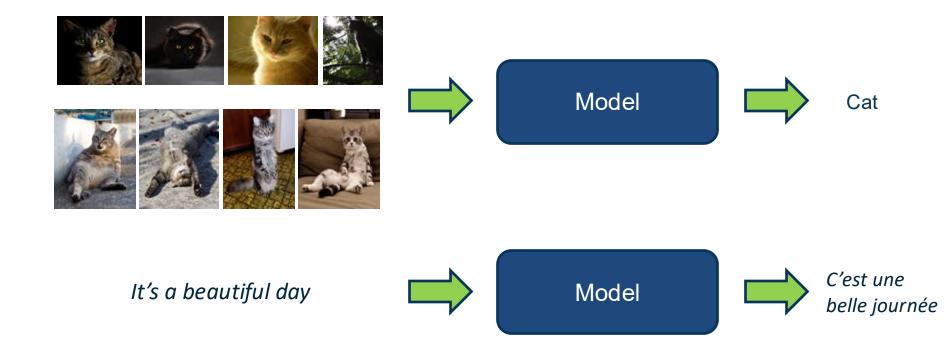


#### But what about ...

- Word play, jokes, puns, hidden messages
- Concept gaps: go Jackets! George P. Burdell
- Other constraints: lyrics, dubbing, poem,
   ...
- •

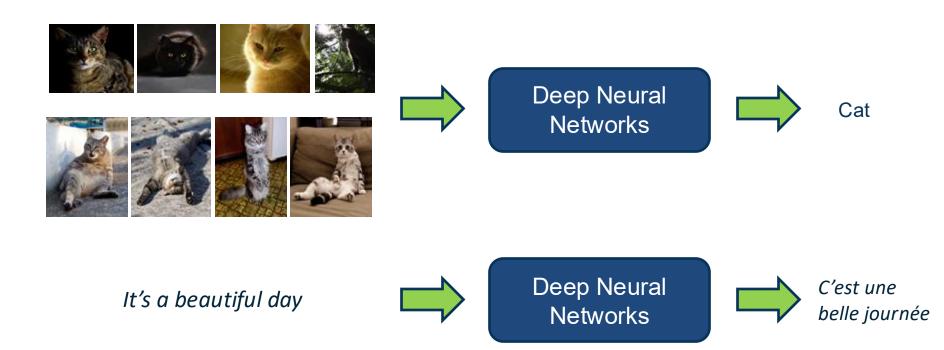


## **The Power of Machine Learning**





### **The Power of Machine Learning**





### The Power of (Deep) Machine Learning

**TECHNOLOGY** 

# A Massive Google Network Learns To Identify — Cats

June 26, 2012 · 3:00 PM ET

Heard on All Things Considered

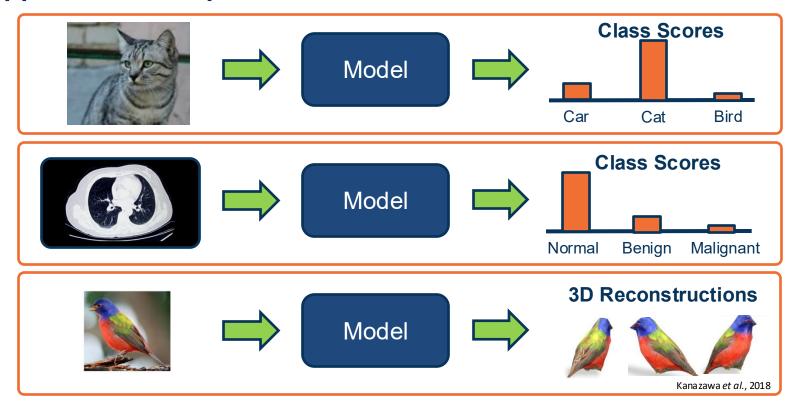


All Things Considered host Audie Cornish talks with Andrew Ng, Associate Professor of Computer Science at Stanford University. He led a Google research team in creating a neural network out of 16,000 computer processors to try and mimic the functions of the human brain. Given three days on YouTube, the network taught itself how to identify — cats.

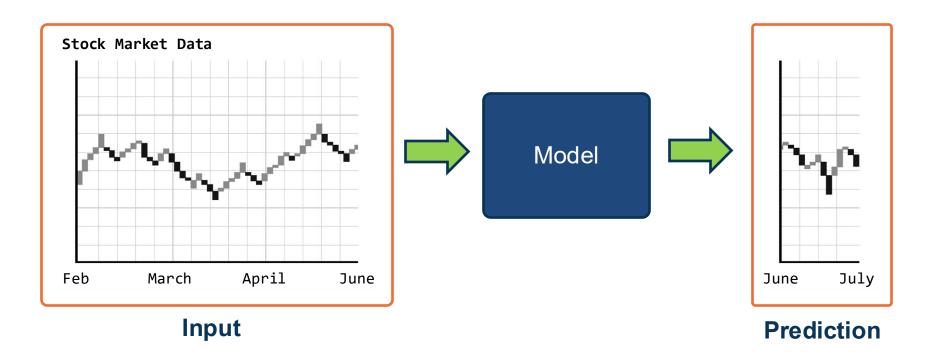
Source: https://www.npr.org/2012/06/26/155792609/a-massive-google-network-learns-to-identify



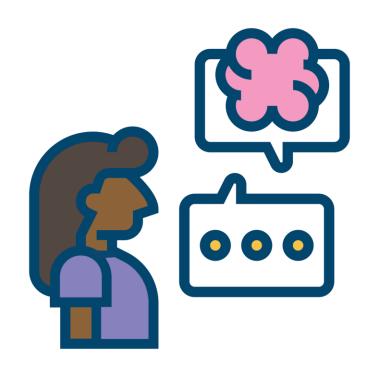
# **Application: Computer Vision**



### Application: Time Series Forecasting



## **Application: Natural Language Processing (NLP)**



### **Very large number of NLP sub-tasks:**

- Syntax Parsing
- Translation
- Named entity recognition
- Summarization
- Generation

**Sequence modeling:** Variable length sequential inputs and/or outputs

Recent progress: Large Language Models

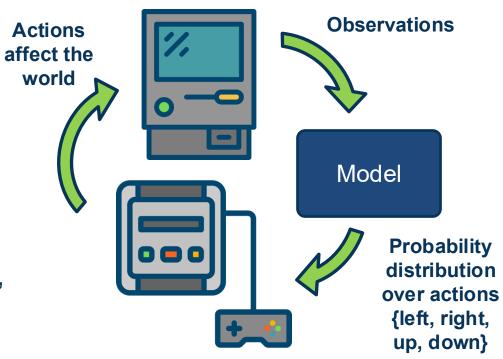


# **Application: Decision Making**

# **Example: Video Game**

- Sequence of inputs/outputs
- Actions affect the environment

**Examples**: Chess / Go, Video Games, Recommendation Systems, Web Agents ...





# Robotics involves a **combination** of Al/ML techniques:

Sense: Perception

Plan: Planning

Act: Controls

Some things are learned (perception), while others programmed

An evolving landscape

# **Application:**





Rest of the lecture (also next lecture):

- Types of Machine Learning Problems
- Parametric Models
- Linear Classifiers
- Gradient Descent

**Supervised Learning** 

**Unsupervised Learning** 

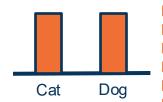
Reinforcement Learning



# **Supervised Learning**

- Train Input: {X, Y}
- Learning output:  $f: X \to Y$
- Usually f is a **distribution**, e.g. P(y|x)



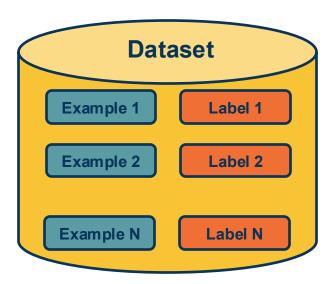


https://en.wikipedia.org/wiki/CatDog

#### **Dataset**

$$X = \{x_1, x_2, ..., x_N\}$$
 where  $x \in \mathbb{R}^d$  Examples

$$Y = \{y_1, y_2, ..., y_N\}$$
 where  $y \in \mathbb{R}^c$  Labels



# **Supervised Learning**

- Train Input: {*X*, *Y*}
- Learning output:  $f: X \to Y$ , e.g. p(y|x)

### **Terminology:**

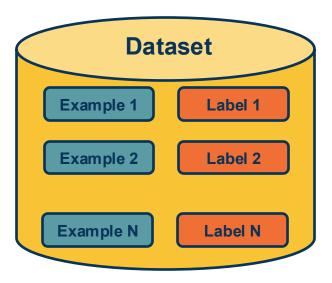
- Model / Hypothesis Class
  - $H:\{f:X\to Y\}$
  - Learning is search in hypothesis space

E.g., 
$$H = \{ f(x) = w^T x | w \in \mathbb{R}^d \}$$

### **Dataset**

$$X = \{x_1, x_2, ..., x_N\}$$
 where  $x \in \mathbb{R}^d$  **Examples**

$$Y = \{y_1, y_2, ..., y_N\}$$
 where  $y \in \mathbb{R}^c$  Labels

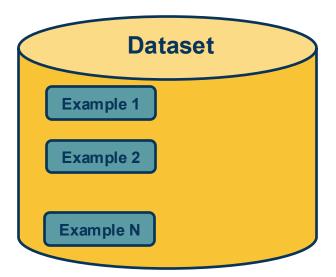


# **Unsupervised Learning**

- Input: {*X*}
- Learning output:  $p_{data}(x)$
- How likely is x under  $p_{data}$ ?
- Can we sample from p<sub>data</sub>?
- Example: Clustering, density estimation, generative modeling, ...

### **Dataset**

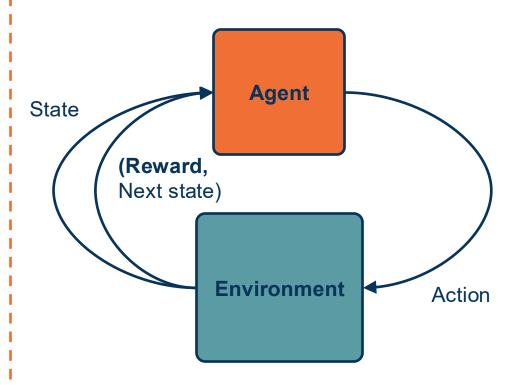
$$X = \{x_1, x_2, ..., x_N\}$$
 where  $x \in \mathbb{R}^d$  **Examples**





# **Reinforcement Learning**

- Supervision in the form of reward
- No supervision on what action to take, but the expected outcome, e.g., control a robot to run fast.



Adapted from: http://cs231n.stanford.edu/slides/2020/lecture\_17.pdf



# Supervised Learning

- Train Input: {*X*, *Y*}
- Learning output:  $f: X \to Y$ , e.g. P(y|x)

# **Unsupervised Learning**

- Input: {X}
- Learning output: P(x)
- Example: Clustering, density estimation, etc.

# Reinforcement Learning

- Supervision in form of reward
- No supervision on what action to take

Very often combined, sometimes within the same model!



Rest of the lecture (also next lecture):

- Types of Machine Learning Problems
- Parametric Models
- Linear Classifiers
- Gradient Descent

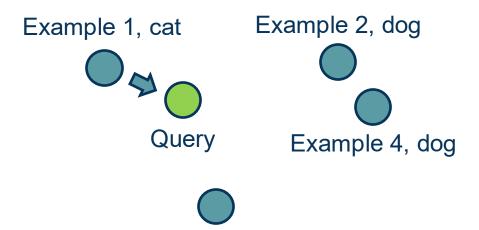
### Non-Parametric Model

No explicit model for the function, **examples**:

- Nearest neighbor classifier
- Decision tree

Hypothesis class changes with the number of data points

### Non-Parametric - Nearest Neighbor



Procedure: Take label of nearest example

Example 3, car



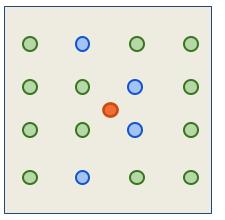
# k-Nearest Neighbor on high-dimensional data (e.g., images) is *almost never* used.

### **Curse of dimensionality**

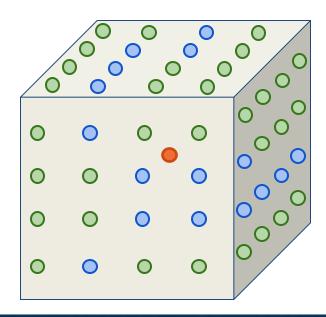
Dimensions = 1 Points = 4



Dimensions = 2Points =  $4^2$ 



Dimensions = 3Points =  $4^3$ 



Slide Credit: Fei-Fei Li, Justin Johnson, Serena Yeung, CS 231n

- Curse of Dimensionality
  - Data required increases exponentially with the number of dimensions

- Doesn't work well when large number of irrelevant features
  - Distances overwhelmed by noisy features

### Expensive

- No Learning: most real work done during testing
- For every test sample, must search through all dataset very slow!
- Must use tricks like approximate nearest neighbor search



### **Parametric Model**

Explicitly model the function  $f: X \to Y$  in the form of a parametrized function f(x, W) = y, **examples**:

- Linear classifier
  - Number of parameters grows linearly with the number of dimensions!
- Neural networks

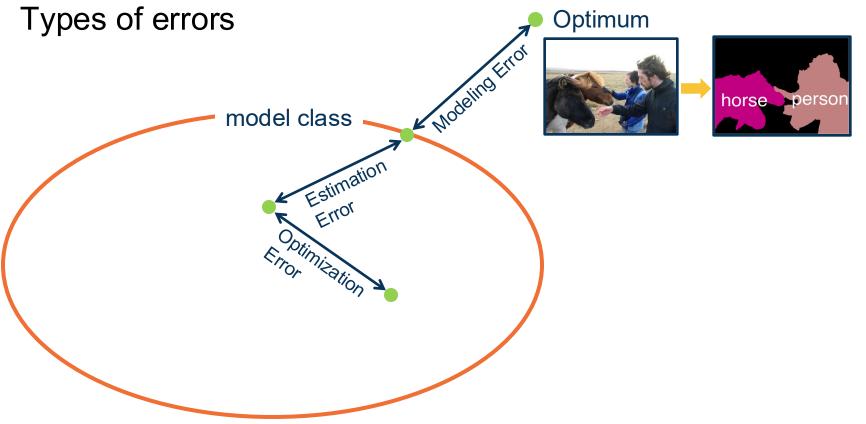
### Parametric - Linear Classifier

$$f(x,W) = Wx + b$$

Q: How many parameters to binaryclassify **N**-dimensional data? A: N + 1

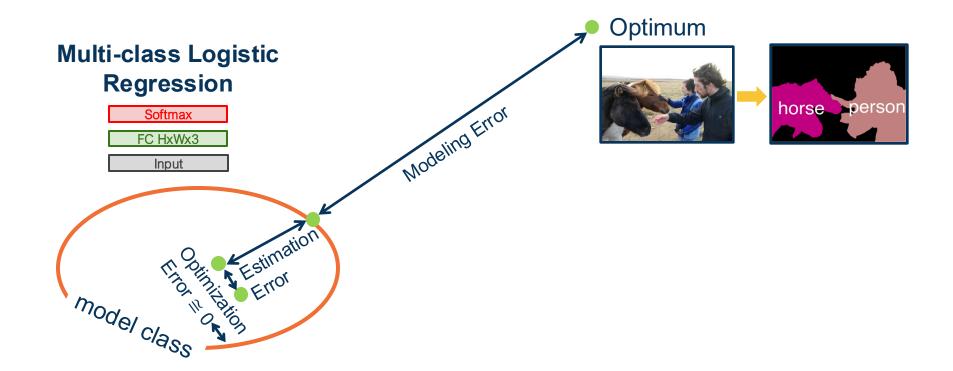
Hypothesis classes doesn't change: we are simply searching for the optimal value for each parameter





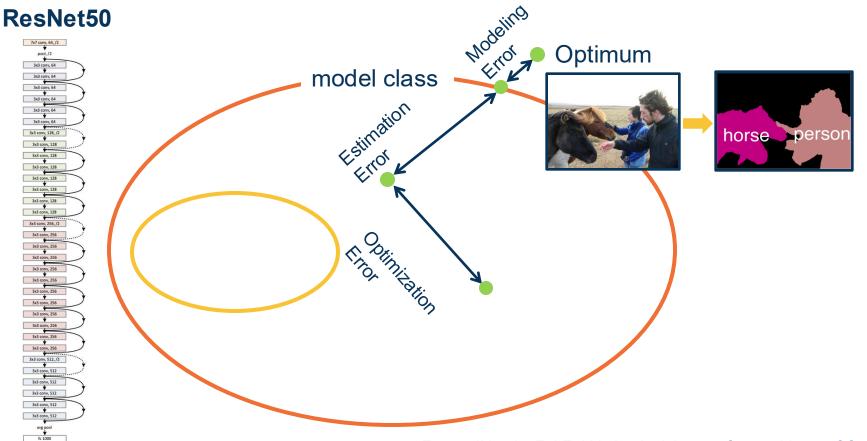
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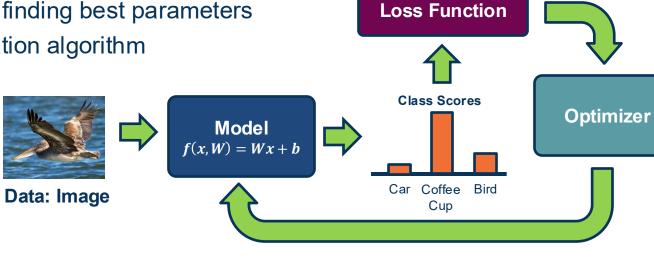


# Rest of the lecture (also next lecture):

- Types of Machine Learning Problems
- Parametric Models
- Linear Classifiers
- Gradient Descent



- Functional form of the model
  - Including parameters
- Performance measure to improve
  - Loss or objective function
- Algorithm for finding best parameters
  - Optimization algorithm



**Class Scores** 

Coffee

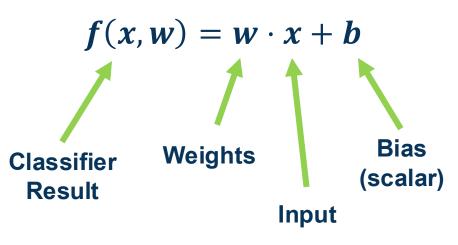
Cup

Bird



# What is the **simplest function** you can think of? Car **Bird**

### Our model is:



(Note if w and x are column vectors we often show this as  $w^Tx$ )

# **Linear Classification and Regression**

### Simple linear classifier:

Calculate score:

$$f(x,w)=w\cdot x+b$$

Binary classification rule (w is a vector):

$$y = \begin{cases} 1 & \text{if } f(x, w) > = 0 \\ 0 & \text{otherwise} \end{cases}$$

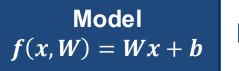
For multi-class classifier take class with highest (max) score f(x, W) = Wx + b













$$x = \begin{bmatrix} x_{11} & x_{12} & \cdots & x_{1n} \\ x_{21} & x_{22} & \cdots & x_{2n} \\ \vdots & \vdots & \ddots & \vdots \\ x_{n1} & x_{n2} & \cdots & x_{nn} \end{bmatrix}$$
 Flatten 
$$x = \begin{bmatrix} x_{11} & x_{12} & \cdots & x_{1n} \\ x_{21} & x_{22} & \cdots & x_{2n} \\ \vdots & \vdots & \vdots & \ddots & \vdots \\ x_{n1} & \vdots & \vdots & \vdots & \vdots \\ x_{nn1} & \vdots & \vdots & \vdots & \vdots \\ x_{nn1} & \vdots & \vdots & \vdots & \vdots \\ x_{nn2} & \vdots & \vdots & \vdots & \vdots \\ x_{nn2} & \vdots & \vdots & \vdots & \vdots \\ x_{nn3} & \vdots & \vdots & \vdots & \vdots \\ x_{nn4} & \vdots & \vdots & \vdots & \vdots \\ x_{nn4} & \vdots & \vdots & \vdots & \vdots \\ x_{nn4} & \vdots & \vdots & \vdots & \vdots \\ x_{nn5} & \vdots & \vdots & \vdots & \vdots \\ x_{nn6} & \vdots & \vdots & \vdots & \vdots \\ x_{nn6} & \vdots & \vdots & \vdots & \vdots \\ x_{nn7} & \vdots & \vdots & \vdots & \vdots \\ x_{nn8} & \vdots & \vdots & \vdots \\ x_{nn8} & \vdots & \vdots & \vdots \\ x_{nn$$

To simplify notation we will refer to inputs as  $x_1 \cdots x_m$  where  $m = n \times n$ 

Classifier for class 1 
$$w_{11}$$
  $w_{12}$   $w_{1m}$   $w_{2m}$  Classifier for class 2  $w_{21}$   $w_{22}$   $w_{31}$   $w_{32}$   $w_{3m}$   $w_{3m}$   $w_{3m}$   $w_{3m}$   $w_{3m}$   $w_{3m}$   $w_{3m}$ 

 $\boldsymbol{W}$   $\boldsymbol{x}$ 

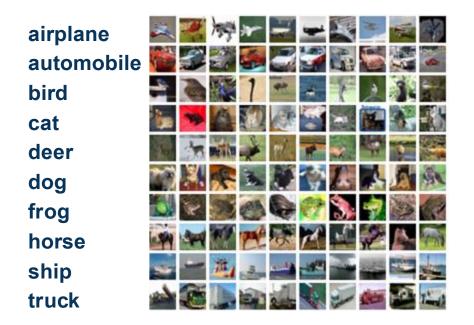
(Note that in practice, implementations can use xW instead, assuming a different shape for W. That is just a different convention and is equivalent.)

- We can move
   the bias term
   into the weight
   matrix, and a "1"
   at the end of the
   input
- Results in one matrix-vector multiplication!

# 

$$\begin{bmatrix} w_{11} & w_{12} & \cdots & w_{1m} & b_1 \\ w_{21} & w_{22} & \cdots & w_{2m} & b_2 \\ w_{31} & w_{32} & \cdots & w_{3m} & b_3 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ \vdots \\ x_m \\ 1 \end{bmatrix}$$

$$W$$

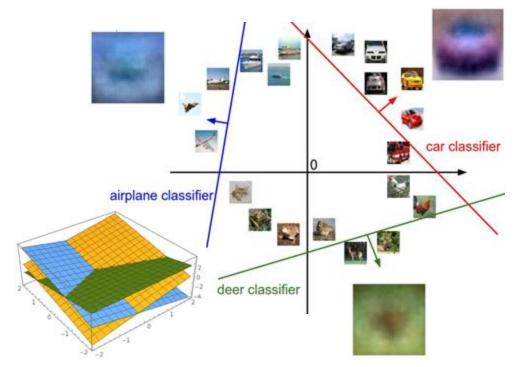


# **Visual Viewpoint**

We can convert the weight vector back into the shape of the image and visualize







#### Plot created using Wolfram Cloud

# **Geometric Viewpoint**

$$f(x,W)=Wx+b$$

Recall: signed distance from point to plane

$$\frac{ax_1 + bx_2 + cx_3 + d}{\sqrt{a^2 + b^2 + c^2}}$$

Output of a linear classifier is the *unnormalized signed distance* from a data point to the hyperplane!

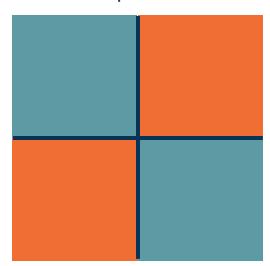


#### Class 1:

number of pixels > 0 odd

#### Class 2:

number of pixels > 0 even

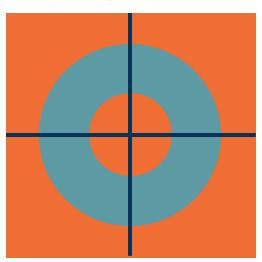


#### Class 1:

1 < = L2 norm < = 2

#### Class 2:

Everything else

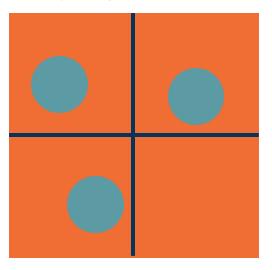


#### Class 1:

Three modes

#### Class 2:

Everything else





# **Neural Network**



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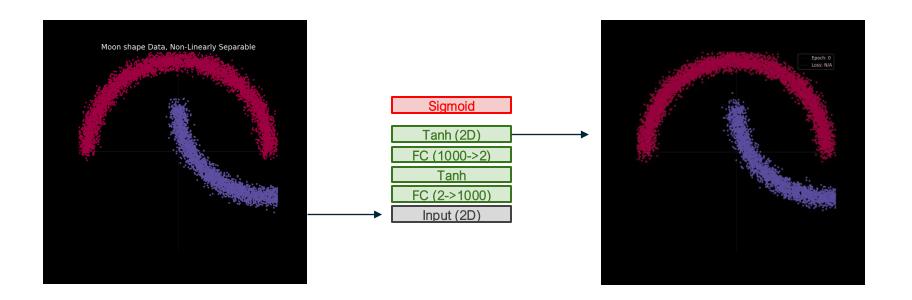
Slide Credit: Fei-Fei Li, Justin Johnson, Serena Yeung, CS 231n

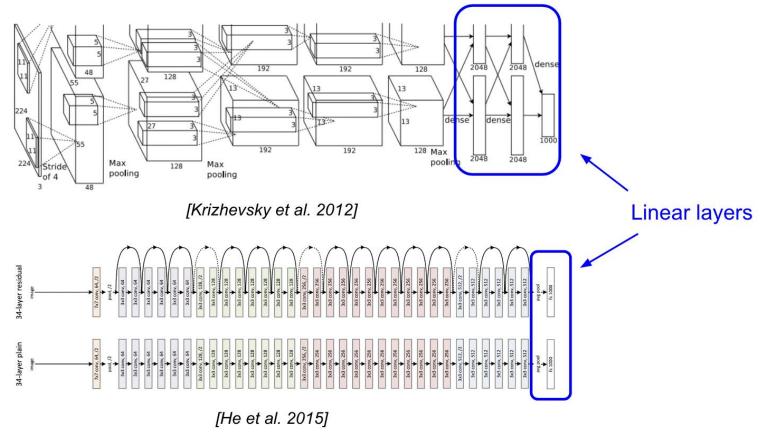
Linear

classifier

# (Deep) Representation Learning for Classification

A function that transforms raw data space into a linearly-separable space

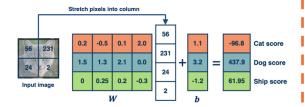




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# Algebraic Viewpoint

$$f(x, W) = Wx$$



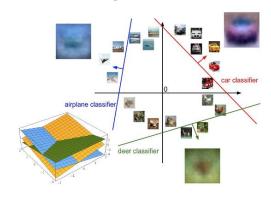
# Visual Viewpoint

One template per class



# **Geometric Viewpoint**

Hyperplanes cutting up space





### **Next time:**

